

Pion Correlation Predictions from pp collisions at the LHC from a Rescattering Model and Comparisons with Data

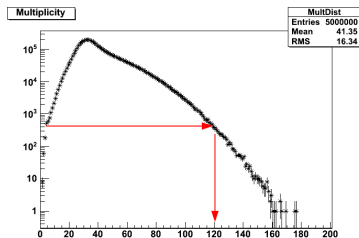
D. Truesdale

Ohio State University

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Initialize the Model

- 1 Set rescattering parameters.
 - 1 Proton radius = 0.85 fm
 - 2 Hadronization time = $0.3 \frac{\text{fm}}{c}$
 - 3 Average time between scatterings = $0.7 \frac{\text{fm}}{c}$
 - 4 Determine impact parameter scale
- 2 Build pp collision event
- 3 Find initial positions in the center of mass frame

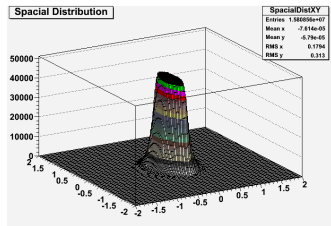
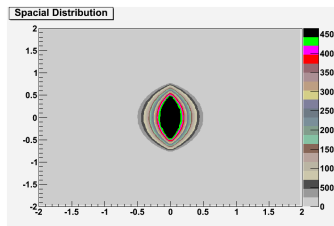


Impact Parameter

$$b = 2r_p \frac{N_{max} - N}{N_{max} - N_{min}}$$

Initialize the Model

- 1 Set rescattering parameters.
- 2 Build pp collision event
 - 1 Use Pythia 8.1 to simulate a pp collision
 - 2 Read through event and take earliest occurring rescatterable particles... (π , K , n , Λ , ρ , ω , η , Δ)
 - 3 Generate 2D overlap region, based on the event's initial multiplicity, for use as the hadrons' initial xy positions
 - 4 Randomly rotate reaction plane
- 3 Find initial positions in the center of mass frame



Initialize the Model

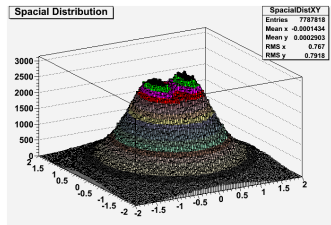
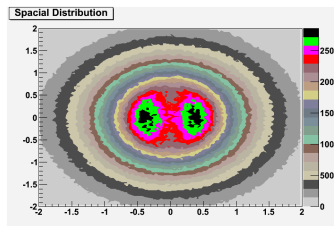
- 1 Set rescattering parameters.
- 2 Build pp collision event
- 3 Find initial positions in the center of mass frame
 - 1 Move particles relativistically to their initial hadronization positions in the lab frame

$$x_H = x_0 + \tau \frac{p_x}{m_0}$$

$$y_H = y_0 + \tau \frac{p_y}{m_0}$$

$$z_H = \tau \frac{p_z}{m_0}$$

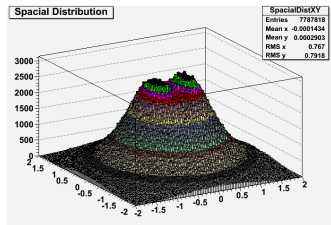
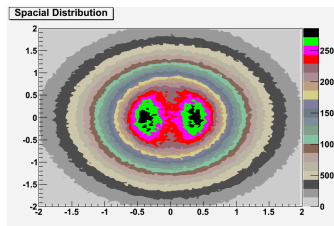
- 2 Convert τ_{Hadron} from proper time to lab frame for all particles



Initialize the Model

- ① Set rescattering parameters.
- ② Build pp collision event
- ③ Find initial positions in the center of mass frame
 - ① Move particles relativistically to their initial hadronization positions in the lab frame
 - ② Convert τ_{Hadron} from proper time to lab frame for all particles

$$t_H = \tau \frac{E}{m_0}$$



Model Procedure

- 1 Cycle over all particles in increments of $t = 0.1 \frac{fm}{c}$ and check if they have...
 - hadronized. If yes then check to see if they have...
 - decayed since the last check. If so, then...
 - decay them and enter their daughters into the particle array
- 2 Scan each particle against all others and determine if each pair is close enough to scatter and if either partner has been scattered too recently.
- 3 If a pair can be scattered, determine if the collision will be inelastic. Then randomly generate a scattering angle in the pair's CMS frame. Update each particle's (or new daughter's) momentum
- 4 Once scattering is done, move each particle relativistically to its position for the next time step
- 5 Repeat until freezeout and record each particle's final state momentum and the coordinates of it's last collision

Allowed Inelastic Collisions and Decays

Resonances and their Decay

Modes:

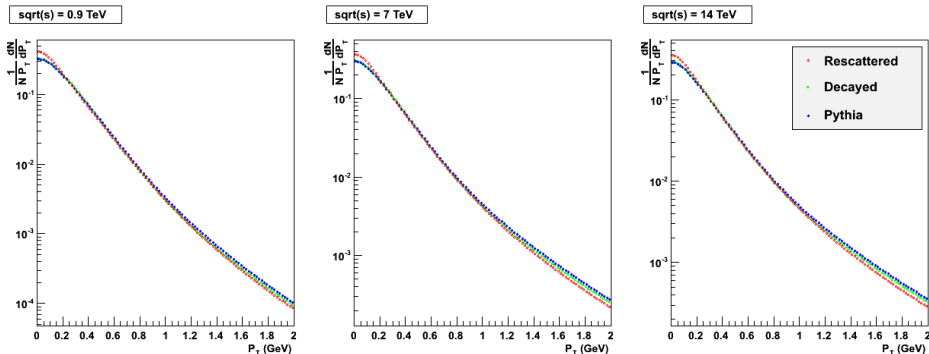
- $\pi + \pi \longrightarrow \rho \longrightarrow \pi + \pi$
- $\pi + \pi \longrightarrow \eta \longrightarrow \pi + \pi$
- $\pi + \pi \longrightarrow \eta' \longrightarrow \pi + \pi + \pi$
- $\pi + \pi \longrightarrow \omega \longrightarrow \pi + \pi + \pi$
- $\pi + \pi \longrightarrow \phi \longrightarrow K + K$
- $K + K \longrightarrow \phi \longrightarrow K + K$
- $\pi + n \longrightarrow \Delta \longrightarrow \pi + n$
- $\pi + K \longrightarrow K^* \longrightarrow \pi + K$

- $\Lambda \longrightarrow \pi + n$

Inelastic Collisions:

- $n + n \longrightarrow n + \Delta$
- $\pi + n \longrightarrow \pi + \Delta$
- $\pi + n \longleftrightarrow K + \Lambda$
- $K + n \longleftrightarrow \pi + \Lambda$

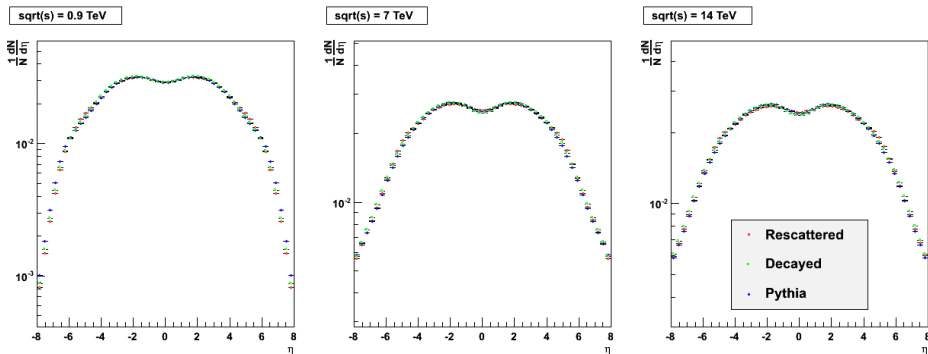
Kinematic Observables

 P_T Distribution:

Rescattering model accurately reproduces final state Pythia P_T and η distributions.

Kinematic Observables

η Distribution:



Rescattering model accurately reproduces final state Pythia P_T and η distributions.

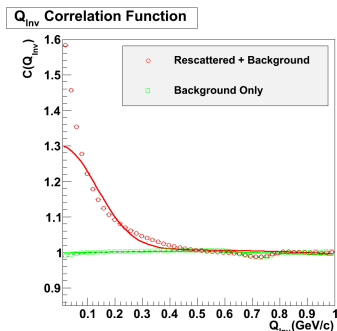
Fitting Function and Cuts

Track Cuts:

- $P_T \rightarrow 0.100 - 1.000 \text{ GeV}$
- $\eta \rightarrow -0.800 - 0.800$

Pair Cuts:

- $k_T \rightarrow 0.100 - 1.000 \text{ GeV}$



Gaussian Fit:

$$C_2(q) = B(q) N[1 + \lambda e^{-R^2 q^2}]$$

where the background function is

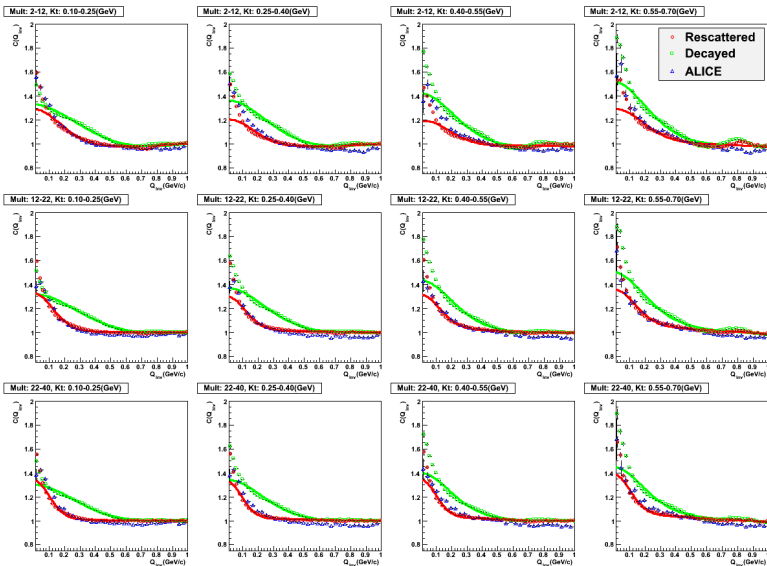
$$B(q) = b_0 + b_1 q + b_2 q^2$$

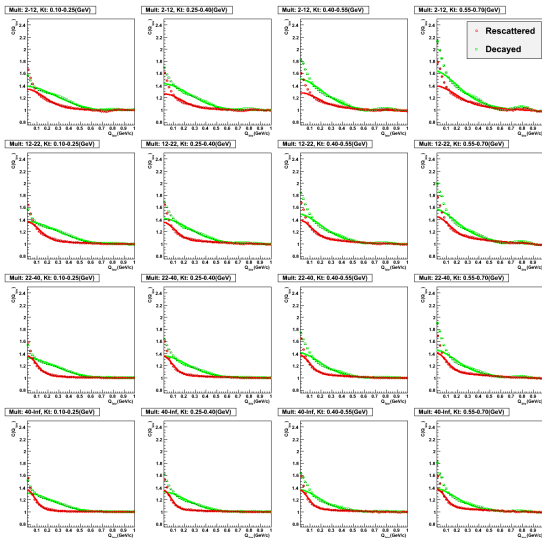
Bose-Einstein Weights:

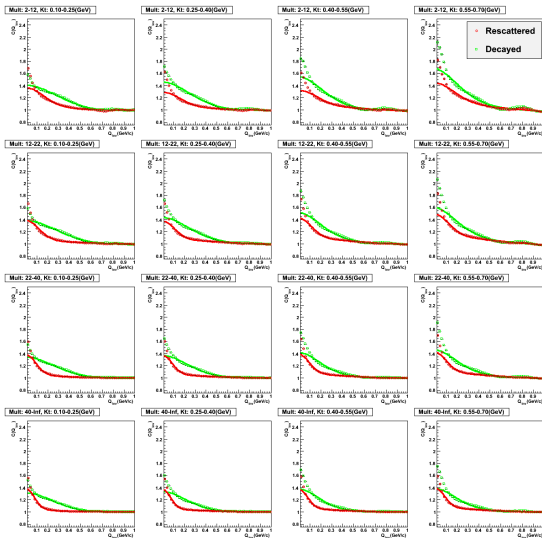
Real pairs weighted by

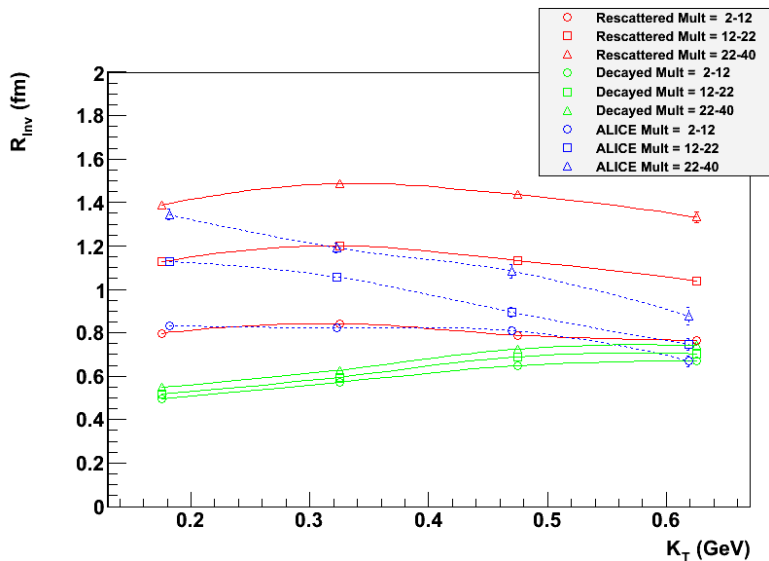
$$W = 1 + \cos(q \cdot \Delta r)$$

HBT Correlation Functions at $\sqrt{s} = 0.9$ TeV



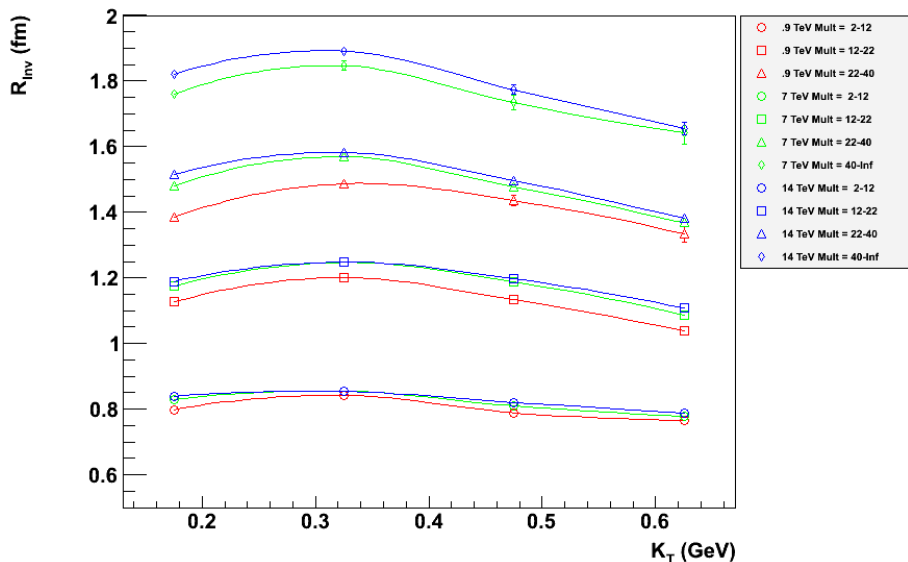
HBT Radii at $\sqrt{s} = 7$ TeV

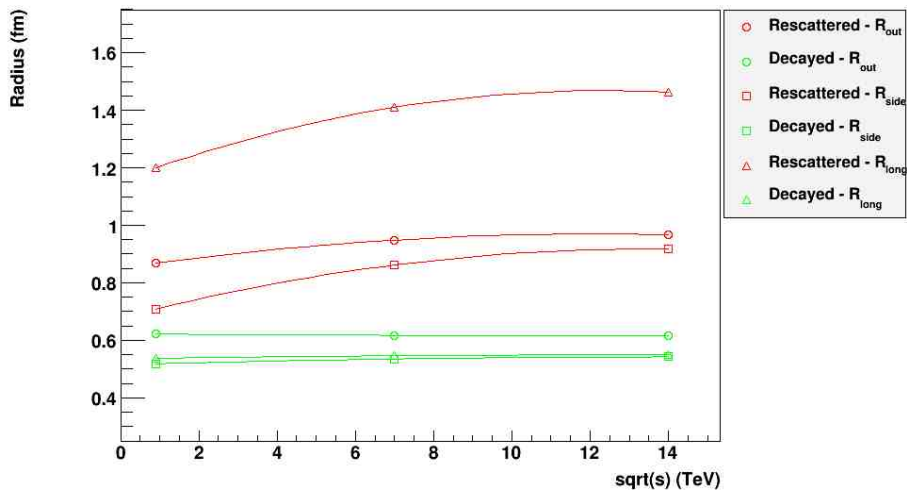
HBT Radii at $\sqrt{s} = 14$ TeV

HBT Radii at $\sqrt{s} = 0.9$ TeV

ALICE data taken from arXiv:1007.0516v1 [hep-ex]



HBT Radii at $\sqrt{s} = 0.9, 7, \text{ and } 14 \text{ TeV}$ 

3D HBT Radii at $\sqrt{s} = 0.9, 7,$ and 14 TeV

Summary

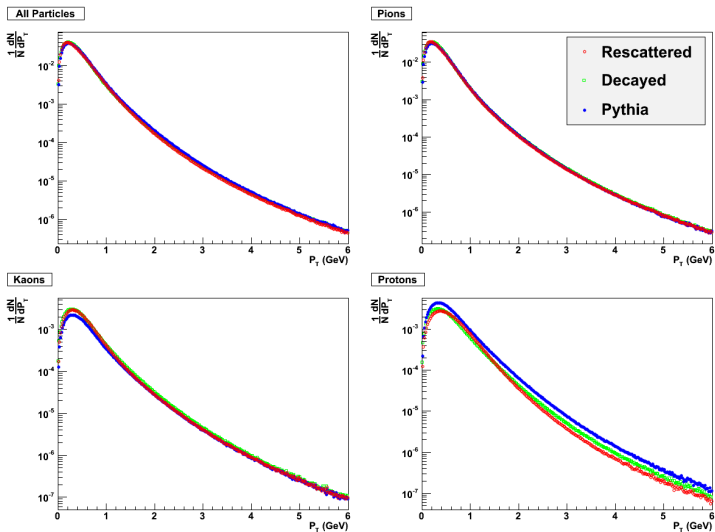
- Hadron rescattering has relatively little effect on initial state P_T and η distributions
- Rescattering contributes to larger HBT radii with increasing multiplicity, but does not explain observed k_T dependence
- Effect of hadron rescattering on HBT radii is largely independent of initial center of mass energy at LHC energies

Ongoing Work

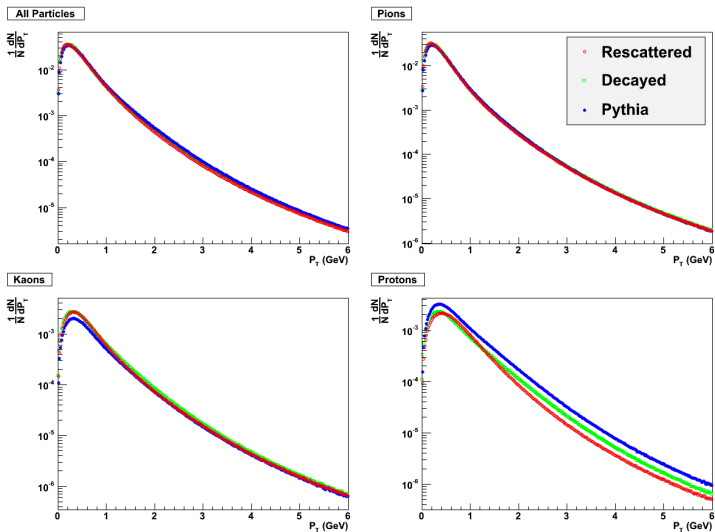
- Analysis of m_T dependence of 1D pion correlations
- Multiplicity, k_T , and m_T dependence of 3D pion correlations
- Investigation of exponential fits

Thank You

P_T Spectra at $\sqrt{s} = 0.9$ TeV



P_T Spectra at $\sqrt{s} = 7$ TeV



P_T Spectra at $\sqrt{s} = 14$ TeV

